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# Neural network/particle swar[m](http://www.elsevier.com/locate/tca) [method](http://www.elsevier.com/locate/tca) [to](http://www.elsevier.com/locate/tca) [predict](http://www.elsevier.com/locate/tca) [fl](http://www.elsevier.com/locate/tca)ammability limits in air of organic compounds

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#### **1. Introduction**

The thermal properties used to determine the potential for fire and explosion hazards of industrial substances are the flammability limits. To safe handling, transportation, and storage of flammable compounds, information about flammability of these substances is needed [1]. The most important properties used to his purpose are the lower flammability limit percent (LFLP) and the upper flammability limit percent (UFLP). Flammability limits provide range of fuel concentration (normally in percentage volume), within [whic](#page-6-0)h a gaseous mixture can ignite and burn [2]. The lower flammable [li](#page-6-0)mit is the smallest percent of the gas in air which can ignite when exposed to the ignition temperature. The upper flammable limit is the point above which the mixture is too rich in fuel to ignite. The range between these two limi[ts is t](#page-6-0)he flammable or explosive range [3].

Knowledge of LFLP and UFLP of several substances is essential in many thermal and chemical engineering operations. A precise determination of flammability limits in air requires the use of standard apparatus and conditions. When the flammability [limits](#page-6-0) cannot be determined experimentally, other methods of estimation are necessary. Jones [4] proposed equations frequently used:

 $LELP = 0.55C_{est}$  (1)

#### ABSTRACT

A new neural network based on particle swarm optimization was developed to estimate lower and upper flammability limit percent in air of organic compounds using their molecular structures. The capability of this hybrid method was tested using 328 compounds in a correlated set and 90 compounds in a predicted set. The results show that the proposed method can estimate the flammability limits of organic compounds with low deviations and can be used with acceptable accuracy in thermal engineering. © 2010 Elsevier B.V. All rights reserved.

$$
UFLP = 3.50C_{est} \tag{2}
$$

where C<sub>est</sub> is the stoichiometric concentration of the flammable product for complete combustion in air. Another empirical relation used for the prediction of LFLP in air was proposed by Spakowski [5]:

$$
LFLP = -\frac{4354}{\Delta H_{\text{comb}}}
$$
\n(3)

where  $\Delta H_{\text{comb}}$  is the heat of combustion in kJ mol<sup>-1</sup>. Hristova<br>et al [6] developed a correlation of flammability limits with et al [6] developed a correlation of flammability limits with normal boiling point and molecular mass. Recently, quantitative structure–property relationship (QSPR) methods were presented by several authors for the prediction of LFLP [7–10] and UFLP [7,11,12] of pure compounds.

There are many methods for the prediction of thermal properties in the literature [1]. Artificial neural networks (ANN) are accepted as the most powerful non-linear technique in several applications [13]. The neural networ[k](#page-6-0) [modeli](#page-6-0)ng has been applied to most physicochemical properties, for which suitable experimental data can be found in the literature. Alternatives of predictive methods hav[e](#page-6-0) [rec](#page-6-0)ently appeared. The group contribution method (GCM) provides a convenient tool to predict physicochemical prope[rties](#page-6-0) [o](#page-6-0)f substances from molecular structural information [14]. The mentioned GCM use linear and non-linear regression techniques to represent the relations among the variables of a given system [15]. The relationship between the physical and thermodynamic properties is highly non-linear, and conse[quent](#page-6-0)ly an ANN

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can be a suitable alternative to model the underlying thermophysic properties [13–15].

In this work, the flammability limits (LFLP and UFLP) in air of organic compounds have been estimated using a simple GCM implemented in an ANN replacing standard back-propagation with particle swarm optimization (PSO) [16], that is one of the most [recently](#page-6-0) [d](#page-6-0)eveloped evolutionary algorithms.

#### **2. Neural network and particle swarm optimization**

A feed-forward neural [netw](#page-6-0)ork programmed with the software MatLab [17], was used to represent non-linear relationships among variables [13–15]. This ANN program considers the reading of the necessary data organized in an Excel file. To distinguish between the different physical and chemical properties of the substances used, and so the network can discriminate and learn in optimum [for](#page-6-0)m, properties derived from the molecular structure were consid[ered.](#page-6-0) [Th](#page-6-0)e input layer contains one neuron (node) for each variable. The output layer has one node generating the scaled estimated value of the flammability limits. The ANN was trained with particle swarm optimization [14].

PSO is a population-based optimization tool, where the system is initialized with a population of random particles and the algorithm searches for optima by updating generations [15]. In each iteration, the velocity for each particle is calculated according to the following formula [[16\]:](#page-6-0)

$$
v_i^p(t+1) = \omega v_i^p(t) + c_1 r_1(\psi_i^p(t) - x_i^p(t)) + c_2 r_2(\psi_g(t) - x_i^p(t)) \tag{4}
$$

where t is the current step number,  $\omega$  is the inertia weight,  $c_1$  and  $c_2$  $c_2$  are the acceleration constants, and  $r_1$ ,  $r_2$  are element from two randon sequences in the range  $(0,1)$ .  $x_i^{\nu}(t)$  is the current position<br>of the particle  $x^{\mu\nu}$  is the best one of the solutions that this partiof the particle,  $\psi_i^{\mu}$  is the best one of the solutions that this parti-<br>cle has reached, and  $\psi_{\sigma}$  is the best solutions that all the narticles cle has reached, and  $\psi_{g}$  is the best solutions that all the particles have reached. In general, the value of each component in *v* [can](#page-2-0) be clamped to the range (−*v*max, *v*max) control excessive roaming of particles outside the search space [14,15]. After calculating the velocity, the new position of every particle is:

$$
x^{p}(t+1) = x^{p}(t) + v^{p}(t+1)
$$
\n(5)

when x and *v* denote a part[icle positi](#page-6-0)on and its corresponding velocity in a search space, respectively.

The total steps to calculate the output parameter, using the input parameters, were as follows [13]:

The data were normalized using the following equation:

$$
p_i = (P_i - P_i^{\min}) \frac{2}{P_i^{\max} - P_i^{\min}} - 1
$$
\n(6)

where  $P_i$  is the input variables *i*,  $P_i^{\min}$  and  $P_i^{\max}$  are the smallest and<br>largest value of the data. Next, the net inputs (N) are calculated for largest value of the data. Next, the net inputs (N) are calculated for the hidden neurons coming from the inputs neurons. For a hidden neuron:

$$
N_j^h = \sum_i^n w_{ij}^h p_i + b_j^h \tag{7}
$$

where  $p_i$  is the vector of the inputs of the training, *j* is the hidden neuron,  $w_{ij}$  is the weight of the connection among the input neurons with the hidden layer, and the term  $b_i$  corresponds to the bias of the neuron j of the hidden layer, reached in its activation. Starting from these inputs, the outputs  $(y)$  of the hidden neurons are calculated, using a transfer function  $f^h$  associated with the neurons of this layer.

$$
y_j^h = f_j^h \left( \sum_i^n w_{ij}^h p_i + b_j^h \right) \tag{8}
$$

To minimize the error, the transfer function  $f$  it should be differentiable. In the ANN, the hyperbolic tangent function (tansig) was used as:

$$
f(N_{jk}) = \frac{e^{N_{jk}} - e^{-N_{jk}}}{e^{N_{jk}} + e^{-N_{jk}}}
$$
\n(9)

All the neurons of the ANN have an associated activation value for a give input pattern, the algorithm continues finding the error that is presented for each neuron, except those of the input layer. After finding the output values, the weights of all layers of the network are actualized by PSO, using Eqs.  $(4)$  and  $(5)$  [14].

The PSO algorithm is very different then any of the traditional methods of training [15]. Each neuron contains a position and velocity. The position corresponds to the weight of a neuron. The velocity is used to update the weight. The velocity is used to control how much the position is updated. On [each](#page-6-0) [p](#page-6-0)ass through a data set, PSO compares each weight's fitness. The network with the highest fitness is c[onside](#page-6-0)red the global best. The other weights are updated based on the global best network rather than on their personal error or fitness [14–16]. In this study, network fitness was determined to be the mean square of errors for the entire training set:

$$
Fitness = \sum (Recorded_value - Network_Predicted_value)^{2} (10)
$$

[This](#page-6-0) [pro](#page-6-0)cess repeats for the total number of patterns to training, for a successful process the objective of the algorithm is to modernize all the weights minimizing the total mean squared error:

$$
E^2 = \frac{1}{2} \sum \left( \text{Fitness} \right)^2 \tag{11}
$$

Fig. 1 presents a block diagram of the program developed and written in MatLab M-file [17].

### **3. Database used and training**

A het[erogen](#page-6-0)eous set of compounds: aromatic and aliphatic hydrocarbons, halogens, polychlorinated biphenyls, mercaptans, sulfides, anilines, pyridines, alcohols, carboxylic acids, aldehydes, amines, ketones, and esters, were included. A total of 328 substances were used to train the network and then values of UFLP and LFLP of 90 substances not used in the training process, were predicted (the total set of substances is available as supplementary data). To distinguish between the different substances considered in this study, so the net can discriminate and learn in optimum form, the properties used cover wide ranges: 0.2–15.7 (vol% in air) for LFLP, and 1.8–60.0 (vol% in air) for UFLP. Molecular mass M (size), dipole [m](#page-6-0)oment  $\mu$  (polarity), and the s[tructure](#page-6-0) [of](#page-6-0) [the](#page-6-0) molecules represented by the number of well defined groups forming the molecule, were provided as input variables. Molecular mass and dipole moment were chosen to characterize the different molecules [13–15]. In addition, the substances included in the study have very different physical and chemical characteristics. Low molecular weight substances such as ethylene ( $M = 28$ ) to high molecular weight substances such as hexatriacontane ( $M = 506$ ); or non-polar substances ( $\mu$  = 0) such as benzene, to highly polar substances such as dinitrobenzene ( $\mu$  = 6.3). Thus, the problem is not straightforward and probably is one of the reasons why the flammability limits have not been treated as proposed in this work. Note that, all the properties of interest ( $M$ ,  $\mu$ , LFLP, UFLP) were taken from the DIPPR database [18]. Fig. 2 shows a general picture of the range of flammability limits in air and substances considered in this study.

This work used a leave-20%-out cross-validation method to estimate the predictive capabilities of the model. Training and prediction sets were selected randomly, with the consideration that in th[e](#page-6-0) [grou](#page-6-0)[p](#page-2-0) [cont](#page-2-0)ribution methods, the molecules are decomposed into fragments and all fragments that are present with adequate frequency in the training database. The structure of the molecules

#### Reading of the necessary data:

<span id="page-2-0"></span>*UFLP* and *LFLP* for each substance and the input variables  $(M, \mu, \text{ and Structural Groups})$ 

## ↓

Normalization of data and transformation

#### ↓

Definition of the net architecture (number of hidden layers and neurons)

# ↓

Build Neural Network Model: training and prediction

- Feedforward Neural Network
- Transfer function: *tansig*
- Algorithm: Particle Swarm Optimization (PSO)

#### ↓

Optimum weights and bias for correlation and validation



↓

Prediction of *UFLP* and *LFLP* for the new substances

↓ String of the predicted data for analysis

**Fig. 1.** Flow diagram for the ANN + PSO program developed for this work.



**Fig. 2.** Flammability limits as a function of molecular mass for all the substances used in this study, and taken from Ref. [14]: LFLP (+) and UFLP ( $\times$ ).

#### **Table 1**

Structural groups used in the proposed GCM + ANN + PSO model.



used, was represented by the number of well-defined groups forming the molecules. The value associated to the structural group was defined as following: 0, when the group does not appear in the substance, and  $n$ , when the group appears  $n$ -times in the substance [13,15]. For instance, for ethyl vanillin  $(C_9H_{10}O_3, CASN: 121-32-$ 4), the property data are M = 166.2 kg kmol<sup>-1</sup>,  $\mu$  = 4.2 debyes, and the structure of the molecule:  $[-CH_3] = 1$ ,  $[-CH_2-] = 1$ ,  $[-O-] = 1$ ,  $[-CHO] = 1$ ,  $[=CH-(ring)] = 3$ ,  $[=C<(ring)] = 3$ , and  $[-OH(ring)] = 1$ . Table 1 shows the 42 groups used as entrance variables.

Several network architectures were tested to select the most accurate scheme. The most basic architecture normally used for this type of application involves a neural network consisting of three layers [13]. The number of hidden neurons needs to be sufficient to ensure that the information contained in the data utilized for training the network is adequately represented. There is no specific approach to determine the number of neurons of the hidden layer, many alternative combinations are possible. The optimum number [o](#page-6-0)f neurons was determined by adding neurons in systematic form and evaluating the average absolute deviations of the sets during the learning process [14,16]. Fig. 3 shows the average absolute relative deviation found in correlating the flammability limits in air of all compounds as a function of the number of neurons in the hidden layer. The network that gave the lowest deviation during training [was one](#page-6-0) [with 42](#page-4-0) parameters in the input layer, 6 neurons

## <span id="page-3-0"></span>**Table 2**

Substances used in the prediction set, and deviations obtained using the GCM + ANN + PSO method.



<span id="page-4-0"></span>Table 2 (Continued)



**Table 3**

Overall minimum, maximum, and average deviations for the calculated flammability limits of all compounds using the proposed method.



in the hidden layer, and two neurons in the output layer. For this architecture the average deviation during training is 8.6% for LFLP and 7.0% for UFLP, and during prediction is 8.5% for LFLP and 7.5% for UFLP.

The accuracy of the chosen final network was checked using the average absolute deviation (AARD) between the calculated value of LFLP and UFLP after training and the data from the literature. The deviations were calculated as:

$$
\Delta\% = \left| \frac{\text{calc} - \text{exp}}{\text{exp}} \right| 100 \tag{12}
$$

$$
AARD_{LFLP} = \frac{100}{N_D} \sum_{i=1}^{N} \left| \frac{LELP_{\text{calc}} - LFLP_{\text{exp}}}{LFLP_{\text{exp}}} \right|_{i} \tag{13}
$$



**Fig. 3.** Average absolute relative deviations found in correlating the flammability limits of all substances as function of the number of neurons in the hidd[en layer](#page-6-0) during the training step for LFLP (  $\bullet$  ) and UFLP (  $\bullet$  ), and during the prediction step for LFLP ( $\bigcirc$ ) and UFLP ( $\Diamond$ ).

$$
AARD_{UFLP} = \frac{100}{N_D} \sum_{i=1}^{N} \left| \frac{UFLP_{\text{calc}} - UFLP_{\text{exp}}}{UFLP_{\text{exp}}} \right|_{i} \tag{14}
$$

#### **4. Results and discussion**

Table 2 shows the detail of the 90 substances used in the prediction set and the deviations obtained. Table 3 shows the overall minimum, maximum, and average deviations for all the substances using the proposed ANN 42-6-2. The results show that the ANN can be accurately trained and that the chosen architecture can estimate [L](#page-3-0)FLP and UFLP of organic compounds with enough accuracy. This new method, gives lower deviations than others method yet available in the literature: AARD less than 8.6% for LFLP and 7.0% for UFLP in the training step, and AARD less than 8.5% for LFLP and 7.5% for UFLP in the prediction step.

Once the best architecture was determining, the optimum weights required to carry out the estimate of flammability limits of organic compounds, were obtained. Table 4 shows the optimum weights and biases for the ANN 42-6-2.

Fig. 4 shows a comparison between experimental (solid line) and calculated values of LFLP. In the training step  $(x)$  the correlation coefficient ( $R^2$ ) was 0.9876, and during the prediction step ( $\bigcirc$ )  $R^2$ was 0.9819. Fig. 5 shows a [similar](#page-5-0) [c](#page-5-0)omparison for the calculated values of UFLP. In this case,  $R^2$  was 0.9780 for the training set, and  $R<sup>2</sup>$  was 0.9771 for the prediction set.

Fig. 6 shows a comparison between several methods proposed in the literature for prediction of LFLP for diverse organic compounds [[7–10\],](#page-5-0) [a](#page-5-0)nd the GCM + ANN + PSO model proposed in this work. As see in this figure, Pan et al. [7] shows LFLP in a range of 0.1–2.3 vol% in air, with  $\Delta\mathbb{X}_{\text{max}}$  higher than 35%. Pan et al. [8] shows LFLP in a<br>range of 0.2, 3.6 vol% in air, with AAPD of 5.6% and  $\Delta\mathbb{X}$  — greater range of 0.2–3.6 vol% in air, with AARD of 5.6% and Δ%<sub>max</sub> greater<br>than 60%. Charagheizi [0] shows LELP in a range of 0.1, 4.3 vol% in than 60%. Gharagheizi [9] shows LFLP in a range of 0.1–4.3 vol% in air, with AARD of 7.6% and  $\Delta\%_{\rm max}$  greater than 50%. Gharagheizi<br>method [10] shows LELP in a range of 0.1.4.3 vol% in air, with method [10] s[hows](#page-6-0) LFLP in a ran[ge of](#page-6-0) 0.1–4.3 vol% in air, with

<span id="page-5-0"></span>**Table 4** Optimum weights and biases of the model 42-6-2.

$W_{ji}$	1	$\overline{2}$	3	4	5	6
1	0.1557	$-0.0440$	$-5.6480$	$-1.3415$	7.5607	$-1.0829$
$\overline{2}$	$-0.1541$	$-0.7115$	0.0072	0.2745	0.0435	$-0.0536$
3	0.3991	$-0.2208$	$-0.7054$	$-0.1312$	0.9305	$-0.3508$
$\overline{4}$	$-2.6097$	0.5296	$-3.0392$	0.0738	4.1433	$-0.9456$
5	2.0721	$-0.3348$	$-2.4600$	$-0.1413$	2.6844	$-0.0275$
6	$-0.5279$	$-0.7798$	$-1.2530$	$-0.0054$	1.3230	$-0.0569$
$\overline{7}$	$-0.8413$	$-0.4538$	$-0.0734$	1.0779	$-0.1129$	$-0.1745$
8	3.1582	0.8776	$-0.2432$	$-0.7556$	0.4463	$-0.0995$
9	$-0.9341$	0.5735	0.0348	0.5624	$-0.1691$	0.0650
10	$-3.6402$	$-0.0605$	$-0.2793$	$-0.1662$	$-0.1365$	0.1953
11	$-0.8294$	$-0.6220$	0.2516	0.0011	$-0.9245$	0.1321
12	$-1.0662$	0.0191	0.5303	0.3406	$-0.6100$	0.0068
13	1.8597	0.1713	1.1153	$-0.6923$	$-1.9963$	0.4548
14	1.8981	0.0494	$-1.3560$	$-1.1539$	0.2328	0.6335
15	2.7299	1.8691	0.1056	$-0.7002$	$-0.1582$	$-0.1024$
16	$-1.3606$	$-1.0969$	0.8563	$-0.3081$	$-1.4723$	0.1072
17	$-0.0961$	0.5613	0.7458	$-0.2403$	$-0.9773$	0.2846
18	1.0590	$-0.6046$	1.5035	$-0.2929$	$-2.2809$	0.4568
19	0.3849	$-0.0764$	$-0.3307$	$-0.3345$	0.8193	0.2115
20	0.5278	$-0.7928$	2.0456	1.0196	$-0.4295$	$-1.5149$
21	0.3334	$-0.1205$	0.3177	$-0.5472$	$-0.4567$	0.2129
22	$-0.4519$	0.3912	0.0157	$-0.1623$	$-0.2019$	0.2198
23	$-1.1981$	0.3289	0.0183	$-0.2924$	$-0.1208$	0.1508
24	0.7382	0.3944	0.0735	$-0.3245$	$-0.1256$	0.2575
25	0.7707	$-0.0753$	0.8177	$-0.8328$	$-1.0172$	0.6240
26	$-0.4737$	$-0.1443$	0.6436	$-0.0209$	$-0.8470$	0.2505
27	4.9148	0.0903	1.6839	1.6860	$-1.7196$	$-0.7024$
28	0.8132	$-1.9150$	2.0325	1.0031	1.1603	0.3627
29	$-1.6827$	0.5317	0.1378	$-0.7642$	$-0.3016$	0.4213
30	$-1.2851$	$-4.2418$	0.6075	$-0.7107$	$-1.0689$	0.0113
31	$-1.3052$	1.4870	0.1834	$-0.1898$	$-0.6631$	$-0.3225$
32	0.9210	$-0.7426$	0.0474	0.6940	$-1.9099$	$-0.3290$
33	0.0084	0.2673	$-1.9888$	$-0.0298$	2.1500	$-0.5692$
34	0.9309	0.2156	0.1092	$-0.2546$	$-0.3471$	0.0320
35	$-0.5351$	0.3670	0.3479	0.0905	0.4843	$-0.0072$
36	1.5814	$-1.9008$	0.2511	0.7810	$-0.2659$	$-0.1551$
37	$-0.0214$	0.0160	1.3234	$-0.4979$	$-0.2791$	0.4417
38	$-2.0619$	1.3683	0.6107	0.1132	$-0.8968$	$-0.1773$
39	$-2.3615$	0.6794	0.0326	0.0616	$-0.1173$	0.1385
40	0.0887	$-0.0334$	0.5587	0.0755	$-0.6613$	$-0.3212$
41	$-0.4365$	0.9536	0.4781	0.4693	$-0.7593$	0.0626
42	0.0109	$-0.7098$	0.3728	$-0.0286$	$-0.5141$	$-0.3929$
$b_i$	$-1.3099$	0.9280	$-0.3684$	$-0.3846$	1.6389	$-1.2494$
1	0.1480	$-0.0943$	4.5340	0.4811	3.3038	0.5831
$\overline{2}$	0.2901	$-0.4075$	$-0.4207$	0.4060	$-4.2936$	0.6229
$b_k$	$-0.2428$	3.2058				

AARD of 4.6% and  $\Delta\mathcal{S}_{\rm max}$  higher than 50%. And the GCM + ANN + PSO<br>method shows AARD of 8.6% and A.% — lower than 30% for a range method shows AARD of 8.6% and  $\Delta\%_{\rm max}$  lower than 30%, for a range<br>of 0.2, 15.7 vol% in air of 0.2–15.7 vol% in air.

Fig. 7 shows a comparison between several QSPR methods proposed in the literature to predict of UFLP of organic compounds



**Fig. 4.** Comparison between experimental and calculated values of lower flammability limit percent in air: ( $\times$ ) during the training and ( $\bigcirc$ ) during the prediction.



**Fig. 5.** Comparison between experimental and calculated values of upper flammability limit percent in air: ( $\times$ ) during the training and ( $\bigcirc$ ) during the prediction.



**Fig. 6.** Average absolute relative deviations found in the prediction of lower flammability limit percent in air using: ( $\Delta$ ) Pan et al. [7], ( $\times$ ) Pan et al. [8], (+) Gharagheizi<br>[0] (\*) Charagheizi [10], and ( $\spadesuit$ ) the CCM+ANN+BSQ model proposed in this work [9], (\*) Gharagheizi [10], and (●) the GCM + ANN + PSO model proposed in this work.

[7,11,12], and the GCM + ANN + PSO model proposed in this work. As see in this figure, Pan et al.[7] shows UFLP in a range of 3.0–16.5 vol% in ai[r, wit](#page-6-0)h  $\Delta\mathcal{Z}_{\text{max}}$  $\Delta\mathcal{Z}_{\text{max}}$  $\Delta\mathcal{Z}_{\text{max}}$  greater [than](#page-6-0) 40%. QS[PR](#page-6-0) method [11] shows UFLP<br>with AAPD of 19.2% and  $\Delta\mathcal{Z}_{\text{max}}$  bigher than 100% for a range of with AARD of 19.2% and  $\Delta\mathcal{L}_{\text{max}}$  higher than 100% for a range of  $2.7$  40.3 vol<sup>9</sup> in air. Charagheizi 1121 shows UELP with AAPD of 2.7–40.3 vol% in air. Gharagheizi [12] shows UFLP with AARD of 9.6% and  $\Delta\%_{\rm max}$  higher than 30%, on a range of 2.3–23.5 vol% in air.<br>And the CCM+ANN+BSO method shows AAPD of 7.1% and A%. And the GCM [+](#page-6-0) [ANN](#page-6-0) + PSO method shows AARD of 7.1% and  $\Delta\mathcal{X}_{\text{max}}$ <br>lower than 20% for a range of 1.8 -60.0 vol% in air lower than 30%, for a range of 1.8–60.0 [vol%](#page-6-0) [i](#page-6-0)n air.

Another comparison wasmade with a neural network with standard backpropagation [\(BPNN](#page-6-0)), and similars architecture (42-6-2) and database. This BPNN show results of AARD of 15%, and  $\Delta\%_{\rm max}$ 



**Fig. 7.** Average absolute relative deviations found in the prediction of upper flammability limit percent in air using: ( $\Delta$ ) Pan et al. [7], (+) Pan et al. [11], (\*)<br>Charasheizi [12], and ( $\bullet$ ) the CCM+ANN+BSO model preposed in this work Gharagheizi [12], and ( $\bullet$ ) the GCM + ANN + PSO model proposed in this work.

<span id="page-6-0"></span>

**Fig. 8.** Deviations found in the prediction of flammability limits percent in air using: artificial neural network with particle swarm optimization for LFLP $(\bigcirc)$  and UFLP $(^\ast)$ and artificial neural network with standard back-propagation for  $LELP$  (+) and  $UELP$  $(x)$ .

greater than 80%. Fig. 8 shows of the deviations found in the prediction of flammability limit temperatures (LFLT and ULFT) using the BPNN and the proposed model. The low deviations found with the proposed GCM + ANN + PSO model, indicate that can estimate LFLP and ULFP of organic compounds with better accuracy than other methods available in the literature. These results represent a tremendous increase in the accuracy to predict these important thermal properties.

#### **5. Conclusions**

In this work, the lower and upper flammability limits percentage in air of organic compounds have been estimated using a simple group contribution method implemented in an artificial neural network replacing standard back-propagation algorithm with an particle swarm algorithm.

Based on the results and discussion presented in this study, the following main conclusions are obtained: (i) The great differences in structure chemical and physical properties of the organic compounds considered in the study impose additional difficulties to the problem that the proposed method has been able to handle; (ii) The results show that the ANN + PSO can be properly trained and that the chosen architecture (42-6-2) can estimate the flammability limits percentage of organic compounds; (iii) The low deviations found with the proposed GCM + ANN + PSO model indicate that can estimate flammability limit percentage in air with better accuracy than others method available in the literature.

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#### **Appendix A. Supplementary data**

Supplementary data associated with this article can be found, in the online version, at doi:10.1016/j.tca.2010.09.018.

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